Implicit 3D Human Mesh Recovery using Consistency with Pose and Shape from Unseen-view

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Li et al., CVPR 2021 [R3]

[R1] Kanazawa et al., End-to-End Recovery of Human Shape and Pose, CVPR 2018 [R2] Kolotouros et al., Learning to Reconstruct 3 D Human Pose and Shape via Model-fitting in the Loop, ICCV 2019 [R3] Li et al., HybrlK: A Hybrid Analytical-Neural Inverse Kinematics Solution for 3D Human Pose and Shape Estimation, CVPR 2021 [R4] Zhang et al., PyMAF: 3D Human Pose and Shape Regression with Pyramidal Mesh Alignment Feedback Loop, ICCV 2021

Human Mesh Recovery



Zhang *et al.*, ICCV 2021 [R4]

Existing methods fail to regress SMPL when the ambiguity (e.g., depth, occlusion) exists **Existing methods Our motivation**



Motivation





Mimic the mental model of human

(1) Imagine a person at difference directions in 3D space (2) Utilize consistency of pose and shape from those views





Proposed model



Figure 2. Overview of ImpHMR architecture. Given an image of a person, ImpHMR can implicitly imagine the person in 3D space and infer SMPL parameters viewed from an arbitrary viewing direction ϕ through *Feature Fields Module*. The model infers parameters from arbitrary directions during training to have a better 3D prior about person; consequently, regression performance in Canonical Viewing Direction is improved. For simplicity, we omit notation ϕ and write loss functions in Sec 3.4 abstractly according to the form of the output.

Goal & Method

Make the model can imagine a person placed in a 3D space via neural feature fields Training phase: utilize the consistency of pose and shape by rotating viewing direction **Inference phase:** use results inferred from rendered feature in a canonical viewing dir.



Figure 4. SMPL parameter and silhouette regression with controlling camera viewing direction. Top: regression from the Canonical Viewing Direction ($\phi = 0$), as in conventional methods. Bottom: regression from an arbitrary viewing direction.

SMPL G.T. Image

Method

Objective: canonical view regr. + appearance cons. + arbitrary view imagination loss

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(1) Canonical view regression loss

Constraint for inference from the canonical viewing direction like conventional HMR methods

Ground-truth Silhouettes for Unseen-view



Framework: conventional HMR pipeline + Feature Fields Module + Geo. Guidance Branch

 $\mathcal{L}_{reg} = \lambda_{2d} ||K_{\phi_0} - \hat{K}|| + \lambda_{3d} ||J_{\phi_0} - \hat{J}||$ $+\lambda_{pose}||m{ heta}_{\phi_0}-\hat{m{ heta}}||+\lambda_{shape}||m{m{ heta}}_{\phi_0}-\hat{m{m{ heta}}}||,$



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(2) Arbitrary view imagination loss -

$$\begin{split} \mathcal{L}_{imag} &= \mathbb{E}_{\phi \sim p_{cam}} [\lambda_{3d} || J_{\phi} - \hat{J}_{-\phi} || + \lambda_{silh.} || S_{\phi} - \hat{S}_{-\phi} || \\ &+ \lambda_{pose} || \boldsymbol{\theta}_{\phi} - \hat{\boldsymbol{\theta}}_{-\phi} || + \lambda_{shape} || \boldsymbol{\beta}_{\phi} - \hat{\boldsymbol{\beta}} ||], \end{split}$$

Ground-truth Silhouettes for Unseen-view



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Constraint that the predicted results (including silh.) from an arbitrary viewing direction should be equal to the rotated G.T.



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- **Appearance consistency loss** (3)

$$\begin{split} \mathcal{L}_{cons} &= \mathbb{E}_{\phi_1,\phi_2 \sim p_{cam}} [\lambda_{pose} || \boldsymbol{\theta}_{\phi_1}' - \boldsymbol{\theta}_{\phi_2} || \\ &+ \lambda_{shape} || \boldsymbol{\beta}_{\phi_1} - \boldsymbol{\beta}_{\phi_2} ||], \end{split}$$

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Constraint that the predicted results (including silh.) from an arbitrary viewing direction should be equal to the rotated G.T.

Constraint that the pose and shape parameters inferred from different directions should be the same

8.1% improv. in PA-MPJPE

		3PDW		
	Method	MPJPE↓	PA-MPJPE↓	PVE↓
	HMMR [20]	116.5	72.6	139.3
	DSD [50]	-	69.5	-
ral	Arnab <i>et al</i> . [2]	-	72.2	-
odu	Doersch et al. [11]	-	74.7	-
len	VIBE [23]	93.5	56.5	113.4
	TCMR [8]	95.0	55.8	111.3
	MPS-Net [55]	91.6	54.0	109.6
	HMR [19]	130.0	76.7	-
	GraphCMR [26]	-	70.2	-
	SPIN [25]	96.9	59.2	116.4
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Fram	HMR-EFT [17]	-	54.2	-
	PARE [24]	82.9	<u>52.3</u>	<u>99.7</u>
	ImpHMR (Ours)	81.8	49.8	96.4
	ImpHMR (Ours) w. 3DPW	74.3	45.4	87.1

Results

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Results

Qualitative results



HMR-EFT



Side view





Side view







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Results

• Qualitative results



HMR-EFT



Side view





Side view





• Results from different views





different viewing directions. Results inferred by changing the viewing direction clockwise by 90° from canonical viewing direction. Note that the inference results are not by rotating the mesh inferred from the canonical viewing direction, but directly inferring a person viewed from different directions in 3D space.



Thank you!