Poster Session THU-AM-192



#### CycleINR: Cycle Implicit Neural Representation for Arbitrary-Scale Volumetric Super-Resolution of Medical Data

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## CycleINR Quick View

A super-resolution model for Medical data, such as CT and MRI.

Flexible super-resolution ratio.

Mitigate over-smoothing problem by introducing cycle-consistent loss.

Extensive experiments on image generation and downstream task.



Original 5mm-spacing image

CycleINR Predicted, 1mm-spacing image Ground Truth, 1mm-spacing image



## **Background and Motivation**

- Anisotropic resolution in volumetric medical data
- Z spacing is worse than X and Y axis
- Hindering optimal viewing experiences
- Impeding the use of downstream analysis algorithms





One 5 mm spacing image sample

#### Two main challenges



#### Non-adaptive super-resolution ratios

- Most previous methods can only handle one specific super-resolution ratio for one model.
- Fractional super-resolution ratio like 5/3 will make this problem more complex.
- The over-smoothing problem
  - The newly generated slices often exhibit over-smoothing for previous deep learning methods.
  - This will create a noticeable slice-wise inconsistency issue in volumetric scenarios, which is especially obvious when scrolling through the slices.



## **Our CycleINR Solution**



- INR Model for Flexible Arbitrary-scale Super-resolution
  - INR model uses a neural network to represent a image. The network's input is the coordinate and the output is the corresponding pixel value.

$$I = f_{\theta}(\mathbf{x})$$

- Thus LR and HR images are sampled data of one continual signal at different sampling rates.
- Once we get the trained INR network, we achieve an arbitrary-scale superresolution model.
- Cycle-consistent Loss for Overcoming Over-smoothing
  - Utilizing the cycle-consistency between generated slices and the original slices under the INR setting.





### Cycle-consistent loss

Steps for constructing cycle-consistent loss:

- Use signal X to fit a continuous Implicit Neural Representation (INR) function
- New points (Y) are sampled from this function to create a new INR function.
- The signal  $\widehat{\mathbf{X}}$  is then sampled from the new function at the same positions as  $\mathbf{X}$ .
- Constructing cycle-consistent loss by assessing the similarity between  $\widehat{X}$  and X.







# Framework Overview

The INR model includes:

- CNN encoder
- Attention-enhanced Latent Code Grid Sampling (ALCGS)
- Fully connected decoder





#### Axial View Results

- Better details in newly generated slices
- Better consistency
  between slices

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## **Coronal and Sagittal Views**



- Better bone structure reconstruction quality
- Less Jagged artefacts
- Mitigated horizontal lines due to improved slice-wise noise level consistency



# Quantitative Results on CT

- Significant improvements on LPIPS
- Suboptimal PSNR and SSIM does not necessarily signify a negative outcome since these two metric favor smoothness

Scale	Method	PSNR(↑)	SSIM(†)	$LPIPS_alex(\downarrow)$	$LPIPS\_vgg(\downarrow)$	LPIPS_squeeze( $\downarrow$ )	$SNLI(\downarrow)$
x2	Cubic	39.5039	0.9705	0.0148	0.0639	0.0161	0.5318
	Trilinear	40.6750	0.9757	0.0201	0.0618	0.0189	0.8450
	TVSRN [52]	43.6167	0.9820	0.0311	0.0824	0.0310	1.4307
	ArSSR [48]	42.6713	0.9799	0.0370	0.0913	0.0357	1.5738
	SAINT [32]	44.3977	0.9833	0.0361	0.0867	0.0354	1.6724
	CycleINR (Ours)	43.0137	0.9805	0.0201	0.0625	0.0206	0.3527
x3	Cubic	35.0140	0.9393	0.0306	0.1084	0.0292	0.5322
	Trilinear	36.5867	0.9515	0.0328	0.0973	0.0293	0.7422
	<b>TVSRN</b> [52]	40.4857	0.9696	0.0607	0.1419	0.0583	1.4389
	ArSSR [48]	39.3398	0.9659	0.0443	0.1135	0.0413	1.3026
	<b>SAINT</b> [32]	40.8705	0.9711	0.0625	0.1404	0.0599	1.7535
	CycleINR (Ours)	39.2748	0.9644	0.0293	0.0902	0.0280	0.6674
x5	Cubic	31.0470	0.8896	0.0562	0.1627	0.0480	0.5336
	Trilinear	32.6606	0.9106	0.0525	0.1413	0.0433	0.6682
	<b>TVSRN</b> [52]	36.8459	0.9503	0.0927	0.1989	0.0862	1.3593
	ArSSR [48]	35.1960	0.9394	0.0611	0.1485	0.0528	1.1714
	SAINT [32]	36.9940	0.9519	0.0996	0.2044	0.0951	1.6996
	CycleINR (Ours)	35.0022	0.9354	0.0464	0.1289	0.0399	0.6050





## Quantitative Results on MR



Visualization results before and after super-resolution.

Method	$PSNR(\uparrow)$	SSIM(↑)	LPIPS_ $a(\downarrow)$	LPIPS_ $v(\downarrow)$	LPIPS_ $s(\downarrow)$	$SNLI(\downarrow)$	$FID(\downarrow)$
Cubic	29.097	0.854	0.0202	0.152	0.0461	0.141	25.884
Trilinear	30.670	0.879	0.0196	0.133	0.0435	0.126	26.712
<b>TVSRN</b> [51]	30.710	0.882	0.0468	0.253	0.0969	0.140	21.006
ArSSR [47]	30.564	0.898	0.0323	0.148	0.0608	0.134	15.539
<b>SAINT</b> [31]	32.120	0.911	0.0536	0.177	0.0902	0.263	17.652
CycleINR	31.017	0.902	0.0184	0.123	0.0424	0.120	15.449

## **Downstream Task**

Performed on MSD liver tumor dataset

Comparison of segmentation across different methods with regard to the segmentation on the original HR data '\_L' and '\_T' represent the liver and tumor respectively



Scale Method	DSC_L↑	NSD_L↑	DSC_T↑	NSD_T↑
Cubic	0.9868	0.9568	0.9069	0.8632
Trilinear	<u>0.9892</u>	<u>0.9622</u>	0.9069	0.8575
TVSRN [51]	0.9886	0.9514	0.8552	0.8065
ArSSR [47]	0.9856	0.9459	0.8516	0.7952
SAINT [31]	0.9884	0.9540	0.8476	0.7904
CycleINR	0.9911	0.9648	0.8730	0.8226
Cubic	0.9625	0.7862	0.7621	0.6891
Trilinear	0.9783	0.9037	0.7858	0.7083
TVSRN [51]	0.9783	0.9105	0.7672	0.6892
ArSSR [47]	0.9777	0.9056	0.7811	0.6988
SAINT [31]	0.9820	0.9250	0.8042	0.7338
CycleINR	0.9832	0.9294	0.8087	0.7381
Cubic	0.8678	0.4475	0.5644	0.4386
Trilinear	0.9487	0.6873	0.6755	0.5385
5 TVSRN [51]	0.9481	0.8228	0.6440	0.5431
ArSSR [47]	0.9589	0.7907	0.6582	0.5297
SAINT [31]	0.9619	0.8561	0.6006	0.5050
CycleINR	0.9620	0.8566	0.6881	0.5640



## Arbitrary-scale SR Results

Super-resolution ratio getting larger



## Conclusion



- Introduced cycle-consistent loss mitigates over-smoothing
- Enables efficient high-resolution image generation without specific training for super-resolution ratios
- Offer enhanced visual quality, and robust downstream analysis

